Superquadrics Revisited: Learning 3D Shape Parsing beyond Cuboids

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[Paschalidou, Ulusoy & Geiger, CVPR 2019]







3D Representations



Limitations of existing 3D representations:

- ► Large number of unstructured geometric elements
- ► Do not convey semantic information (parts, functionality, etc.)

What is a **useful** 3D representation?



Primitive-based 3D Representations:

- ► Few primitives required to represent a 3D object
- Convey semantic information (parts, functionality, etc.)
- ► Challenges: Variable number of primitives, few annotated datasets

3D Shape Abstraction

Goal of this work:

- ► Learn 3D shape abstraction
- ► Infer number of primitives
- ► No supervision at primitive level
- ► Input: points/volumes/images



Pentland's Superquadrics Revisited



- ▶ 1 superquadric = 11 parameters \Rightarrow scene on the left stored in only 1000 bytes!
- ► However, early fitting-based approaches did not work robustly

Pentland: Parts: Structured descriptions of shape. AAAI, 1986.

Can we learn to parse 3D shapes?



Predictions per primitive:

- ► 11 parameters: 6 pose (\mathbf{R}, \mathbf{t}) + 3 scale (α) + 2 shape (ϵ)
- ▶ Probability of existence: $\gamma \in [0, 1]$

Network Architecture



Paschalidou, Ulusoy and Geiger: Superquadrics Revisited: Learning 3D Shape Parsing beyond Cuboids. CVPR, 2019.

Loss Function

Overall Loss:

$$\mathcal{L}(\mathbf{P}, \mathbf{X}) = \mathcal{L}_{P \to X}(\mathbf{P}, \mathbf{X}) + \mathcal{L}_{X \to P}(\mathbf{X}, \mathbf{P}) + \mathcal{L}_{\gamma}(\mathbf{P})$$

Composed of:

- $\mathcal{L}_{P \to X}(\mathbf{P}, \mathbf{X})$: Primitive-to-Pointcloud Loss
- $\mathcal{L}_{X \to P}(\mathbf{X}, \mathbf{P})$: Pointcloud-to-Primitive Loss
- $\mathcal{L}_{\gamma}(\mathbf{P})$: Existence and Parsimony Loss

Primitive-to-Pointcloud Loss

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Pointcloud-to-Primitive Loss



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Existence and Parsimony Loss

$$\mathcal{L}_{\gamma}(\mathbf{P}) = \max\left(1 - \sum_{m=1}^{M} \gamma_m, 0\right) + \beta \sqrt{\sum_{m=1}^{M} \gamma_m}$$

- ► First term: Enforces at least one primitive to exist
- Second term: Encourages parsimony

Comparison to Tulsiani et al./ REINFORCE



Results



Summary

Thank you!

http://autonomousvision.github.io

