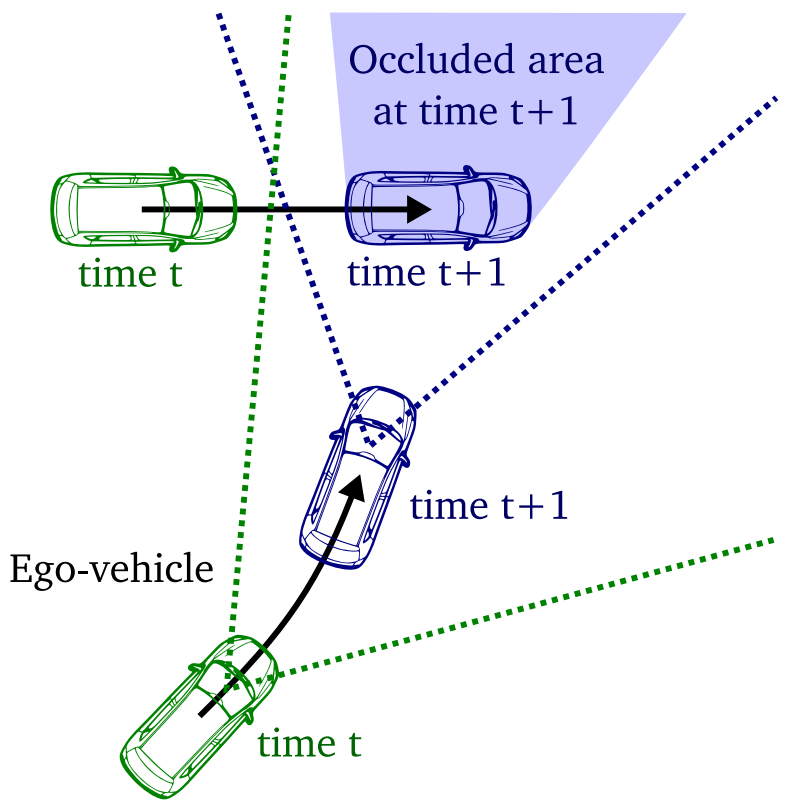


Monocular Road Mosaicing in Urban Environments

Andreas Geiger

Abstract

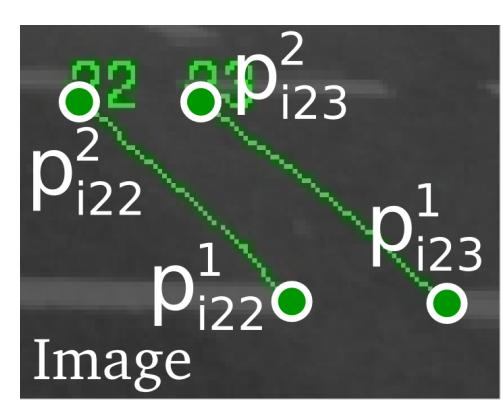


Marking-based lane recognition requires an unobstructed view onto the road. In practice however, heavy traffic often constrains the visual field, especially in urban scenarios such as urban crossroads. In this paper we present a novel approach to road mosaicing for dynamic environments. Our method is based on a multistage registration procedure and uses blending techniques. We show that under modest assumptions accurate registration is possible using monocular image sequences only. We further demonstrate that fusing visual information from previous frames into the current view can greatly extend the camera's field of view.



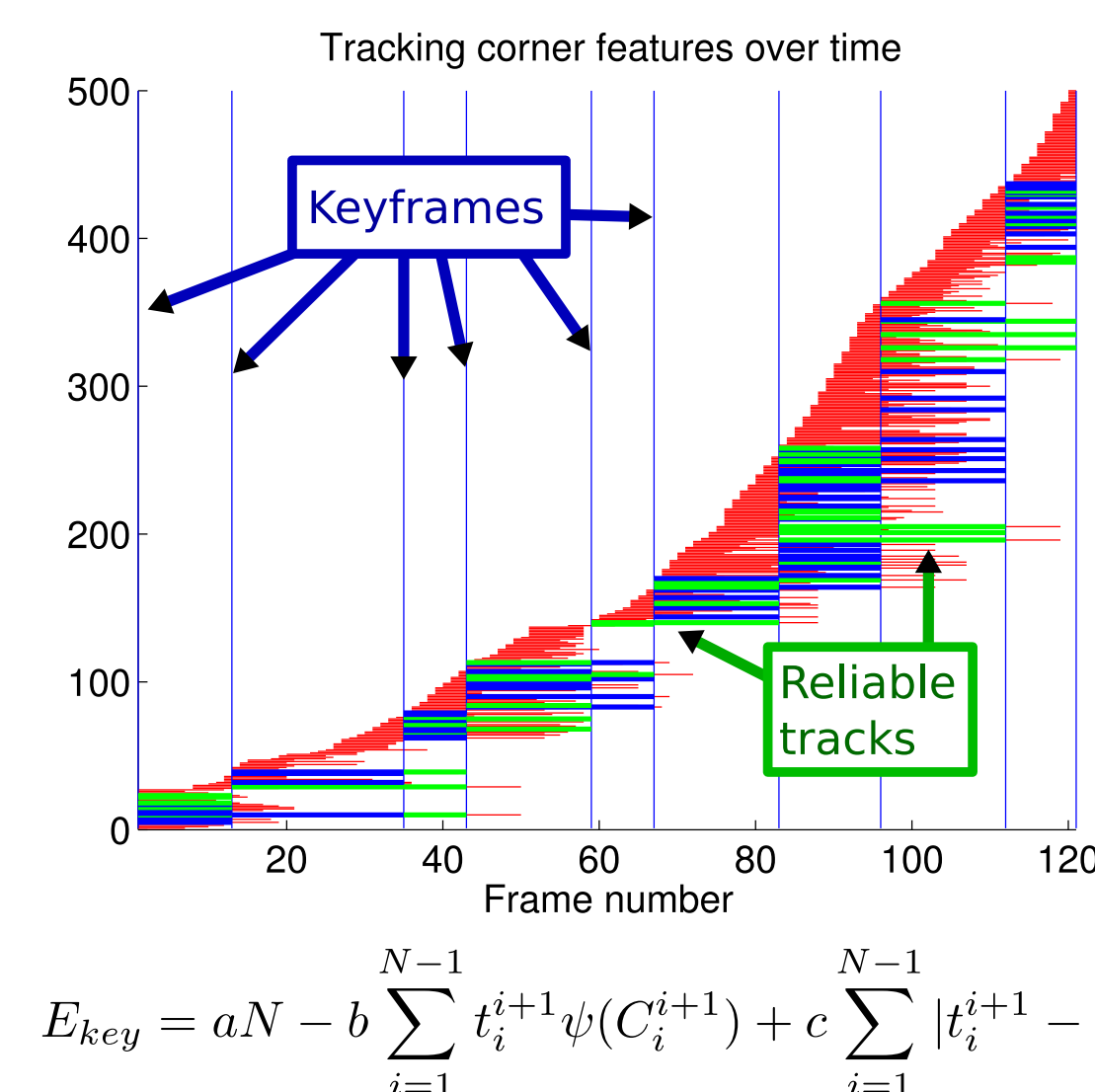
System Overview

1 Calculate and track Harris corners



- Find nearest neighbor in next frame
- Apply smoothness constraints to determine lost tracks

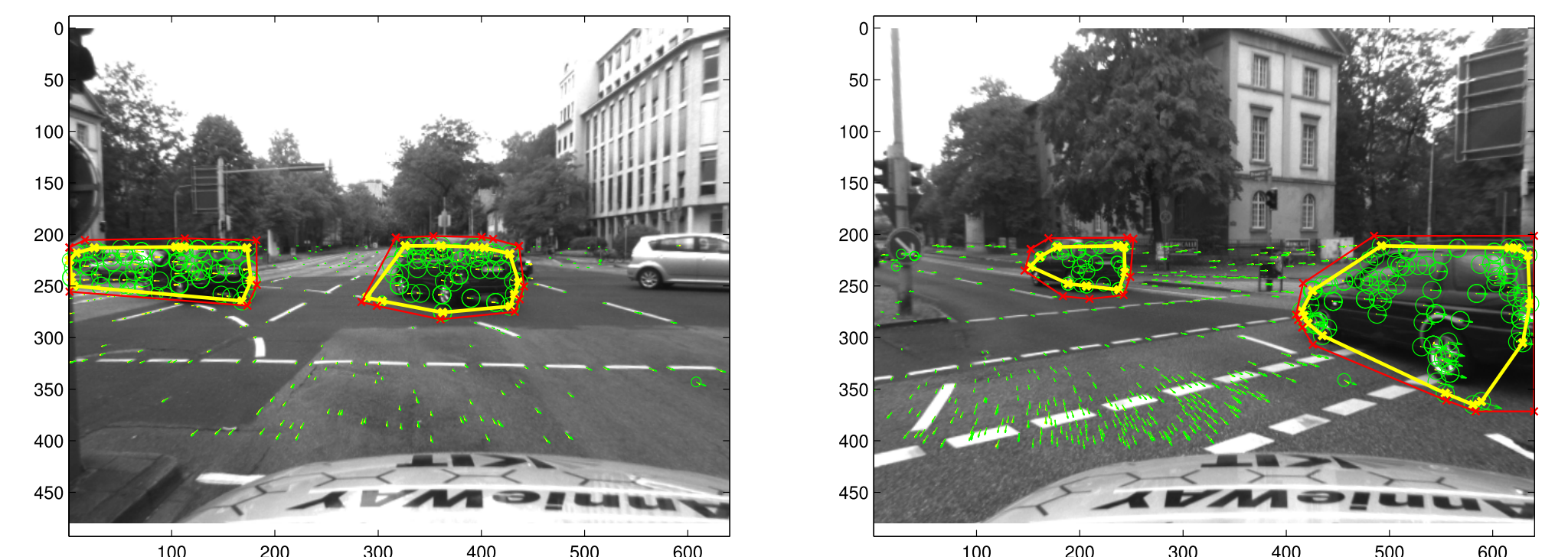
2 Select smallest set of "connected" keyframes



3 Initialize ego-position of the vehicle at located keyframes Detect obstacles by comparing optical flow to virtual optical flow

- Initialize ego-pose for all keyframes
- Segment road by optical-flow based detection of moving obstacles

- Initialize road-to-camera parameters (height, roll, pitch) according to prior knowledge of camera setup
- Project feature points onto the road
- Fitting the 2d point sets to each other yields an estimate for the road-to-road parameters (translation in x-direction, translation in y-direction, yaw)



4 RANSAC-based correspondence refinement on segmented road

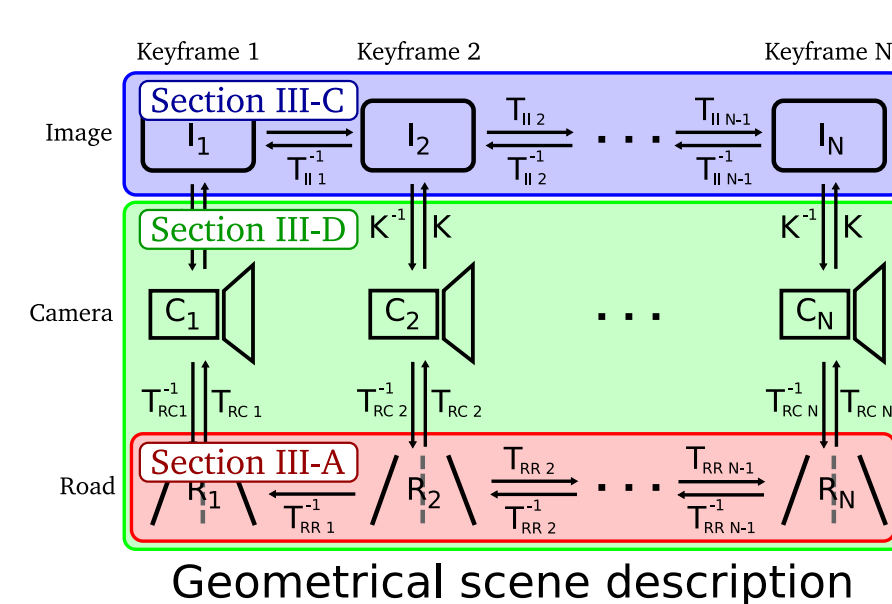
Iteration 1



Iteration 2



5 Global optimization with priors on extrinsic parameters



$$P(\Theta | \mathbf{P}_1, \dots, \mathbf{P}_{N-1}) \propto P(\mathbf{P}_1, \dots, \mathbf{P}_{N-1} | \Theta) P(\Theta)$$

$$P(\mathbf{P}_1, \dots, \mathbf{P}_{N-1} | \Theta) = \prod_{j=1}^{N-1} P(\mathbf{P}_j | \Theta)$$

$$P(\mathbf{P}_j | \Theta) \propto \exp\left(-\frac{1}{2} \mathbf{d}_j^T \Sigma^{-1} \mathbf{d}_j\right)$$

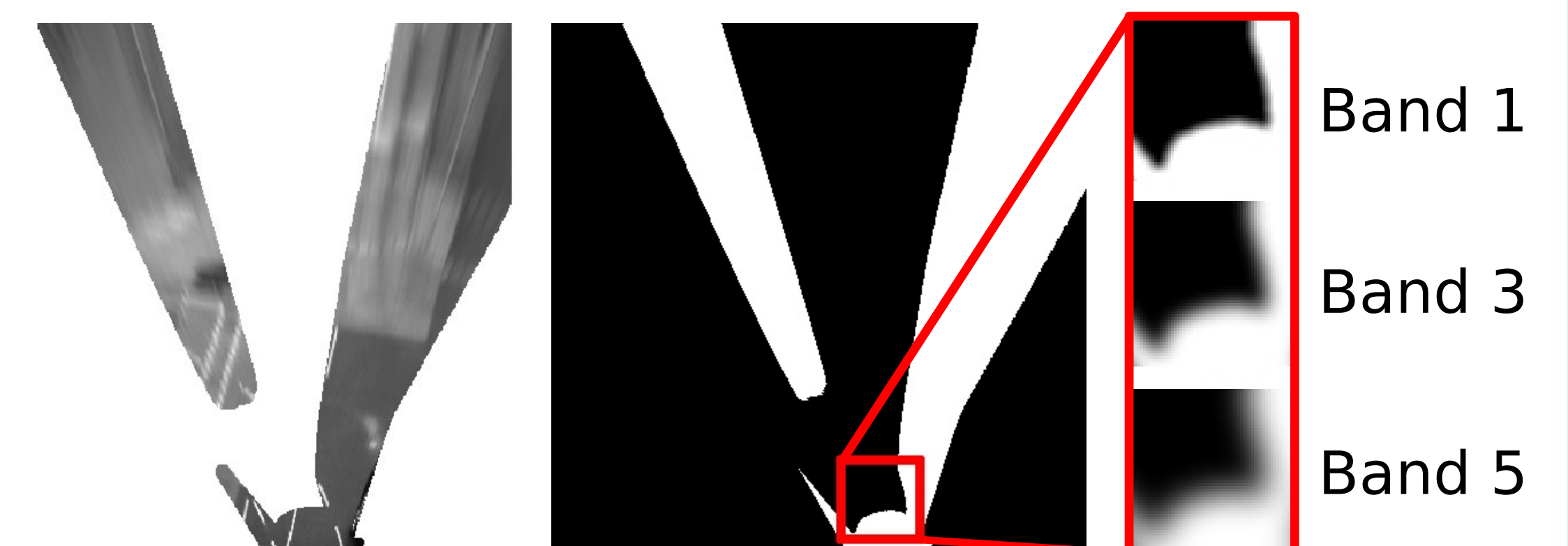
$$P(\Theta) = P(\mathbf{f}, \mathbf{c}) P(h) P(\theta) P(\phi) P(\mathbf{v}) P(\omega)$$

$$(\mathbf{f}, \mathbf{c}) \sim \mathcal{N}(\mu_c | \Sigma_c)$$

$$f(t) \sim \mathcal{GP}(\mu_f(t), \sigma_f(t, t'))$$

$$(\forall f \in \{h, \theta, \phi, v_x, v_y, \omega\})$$

6 Gain compensation and multi-band blending for compensating vignetting and registration errors



Visible road area I Blending mask Weight W

$$\mathbf{W}_i^{k\sigma} = \mathbf{W}_i^{(k-1)\sigma} \otimes g_{\sigma(k)}$$

$$\mathbf{I}_i^{k\sigma} = \mathbf{I}_i^{(k-1)\sigma} \otimes g_{\sigma(k)}$$

$$\mathbf{B}_i^{k\sigma} = \mathbf{I}_i^{(k-1)\sigma} - \mathbf{I}_i^{k\sigma}$$

$$I_{\Sigma}^{k\sigma}(u, v) = \frac{\sum_i W_i^{k\sigma}(u, v) I_i^{k\sigma}(u, v)}{\sum_i W_i^{k\sigma}(u, v)}$$

$$B_{\Sigma}^{k\sigma}(u, v) = \frac{\sum_i W_i^{k\sigma}(u, v) B_i^{k\sigma}(u, v)}{\sum_i W_i^{k\sigma}(u, v)}$$

$$I_{\text{mosaic}} = I_{\Sigma}^{K\sigma} + \sum_k B_{\Sigma}^{k\sigma}$$

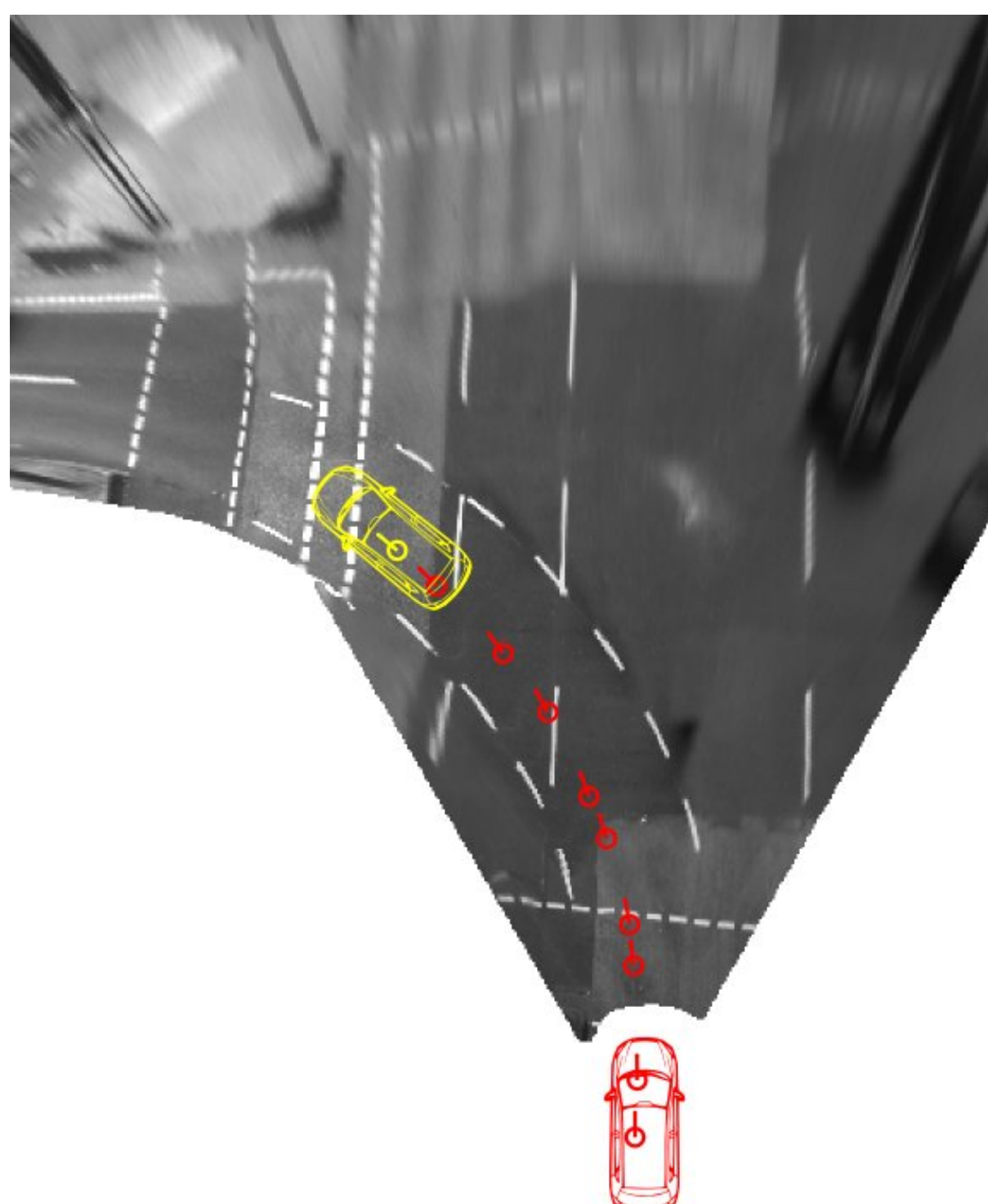
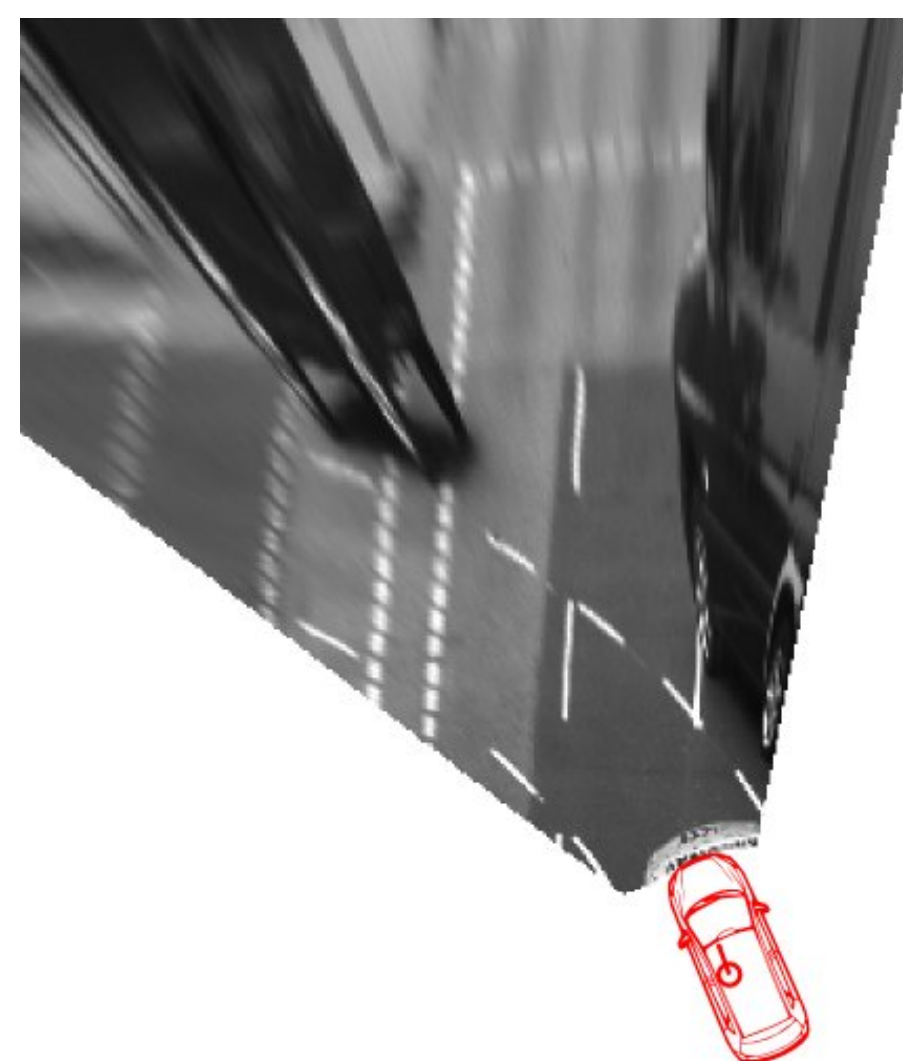
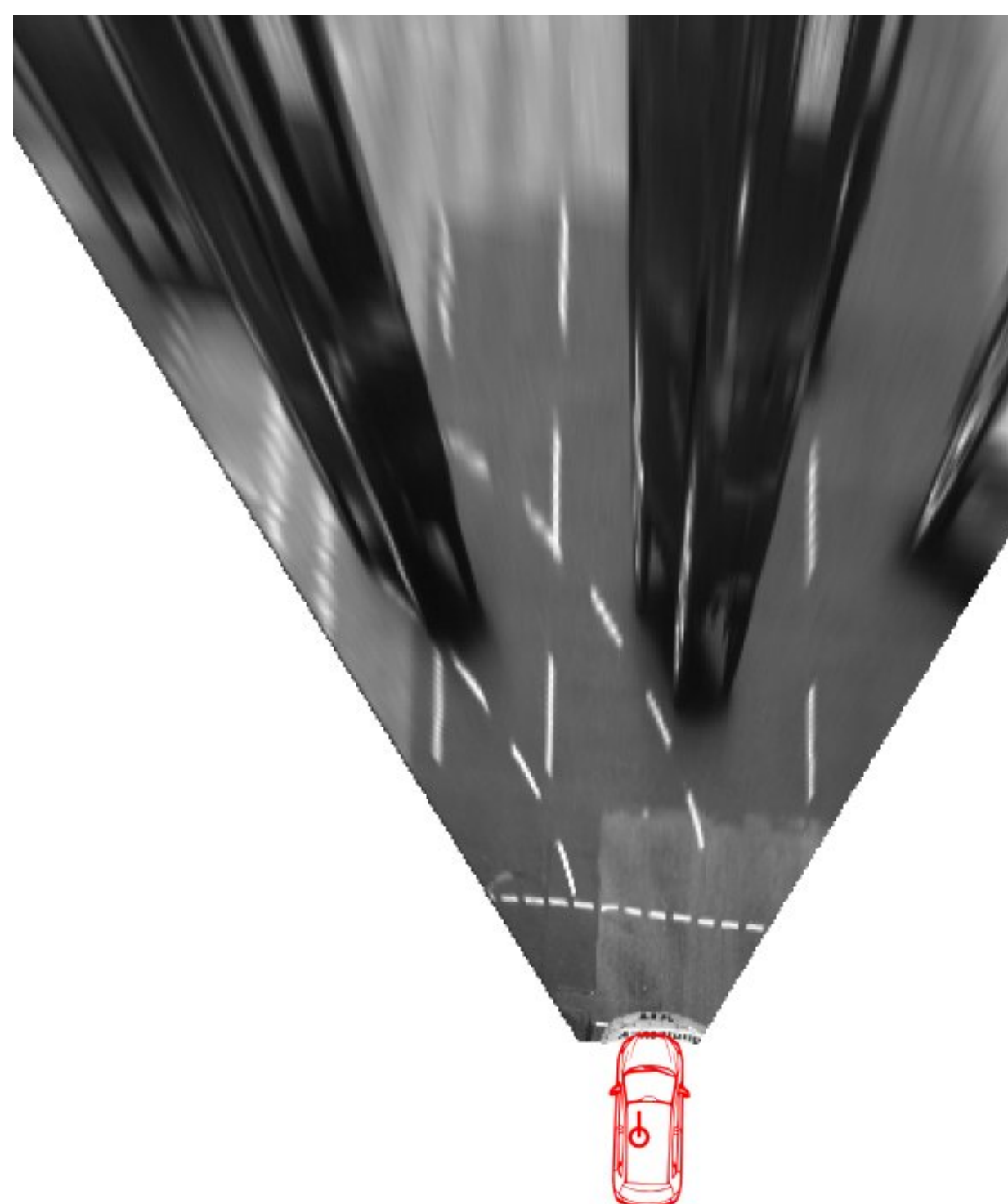
Result: Road mosaic in image or road coordinates

Experimental Results

Frame 1 in road coordinates

Frame 6 in road coordinates

Mosaic in road coordinates



Mosaic in image coordinates*



* The difference to the original image taken by the camera is overlayed in red.